

# Stack

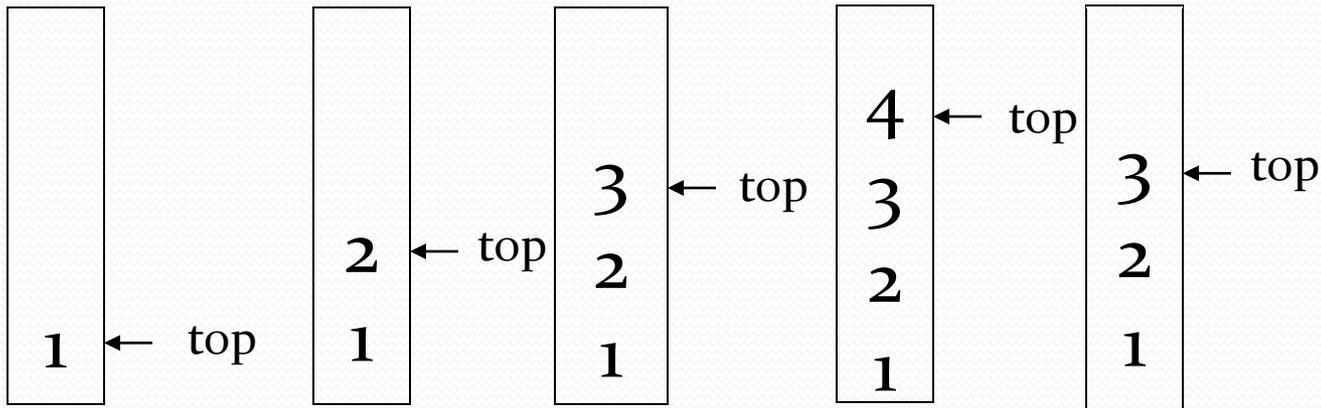
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# What is a stack?

- linear data structure
- It is an ordered group of homogeneous items of elements.
- Elements are added to and removed from the top of the stack
- Stack principle: **LAST IN FIRST OUT(LIFO)**
- It means the last element inserted is the first one to be removed
- Ex- stack of plates



# Last In First Out



# Applications of stack

- Balancing of symbols
- Infix to Postfix /Prefix conversion
- Redo-undo features at many places like in editors.
- Forward and backward feature in web browsers
- Used in many algorithms like Tower of Hanoi, tree traversals, topological graph sorting etc.
- Other applications can be Backtracking, N queen problem etc.

# Operations on stack

- isEmpty
- Push
- Pop
- isFull

- Below is the complete algorithm  
Let  $arr[0..n-1]$  be the input array and element to be searched be  $x$ .
- Find the smallest Fibonacci Number greater than or equal to  $n$ . Let this number be  $fibM$  [ $m$ 'th Fibonacci Number]. Let the two Fibonacci numbers preceding it be  $fibM_{m-1}$  [ $(m-1)$ 'th Fibonacci Number] and  $fibM_{m-2}$  [ $(m-2)$ 'th Fibonacci Number].
- While the array has elements to be inspected:
  - Compare  $x$  with the last element of the range covered by  $fibM_{m-2}$
  - **If**  $x$  matches, return index
  - **Else If**  $x$  is less than the element, move the three Fibonacci variables two Fibonacci down, indicating elimination of approximately rear two-third of the remaining array.
  - **Else**  $x$  is greater than the element, move the three Fibonacci variables one Fibonacci down. Reset offset to index. Together these indicate elimination of approximately front one-third of the remaining array.
- Since there might be a single element remaining for comparison, check if  $fibM_{m-1}$  is 1. If Yes, compare  $x$  with that remaining element. If match, return index.

- $i = \min(\text{offset} + m_2, n)$
- Offset-It marks the range that has been eliminated, me.

<i>fibMm2</i>	<i>fibMm1</i>	<i>fibM</i>	<i>offset</i>	$i = \min(\text{offset} + \text{fibL}, n)$	<i>arr[i]</i>	<i>Consequence</i>
5	8	13	0	5	45	Move one down, reset offset
3	5	8	5	8	82	Move one down, reset offset
2	3	5	8	10	90	Move two down
1	1	2	8	9	85	Return i

**isEmpty** - Returns true(1) if stack is empty,  
else false(0).

```
int isEmpty()  
{  
    if (top== -1)  
        return 1;  
    else  
        return 0;  
}
```

```
#define MAX_STACK_SIZE 100
```

```
int top= -1
```

```
int stack[MAX_STACK_SIZE]
```

**isFull** - Returns true(1) if stack is Full,  
else false(0).

```
int isFull()
{
    if (top==(MAX_STACK_SIZE -1))
        return 1;
    else
        return 0;
}
```

- **Push- Add item in stack**

```
void push( int num)
{
    if(isFull())
        printf("\n Stack is Full");

    top = top + 1;
    stack[top] = num;
}
```

- **Pop- Remove item from stack**

```
int pop()
{
int num;

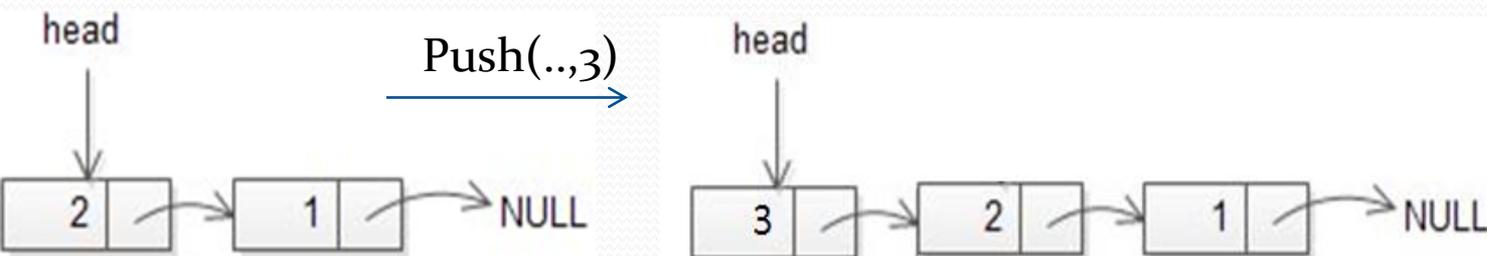
    if(isEmpty())
        printf("\n Stack is empty");

num=stack[top];
top--;
return num;
}
```

# Stack using Linked list

- Extend stack size dynamically
- isFull() - condition not applicable
- isEmpty()- head node not available

```
void push(struct Node** head, int data)
{
    struct Node* node = (struct
Node*)malloc(sizeof (struct Node));
node->data =data;
node->next = *head;
*head = node; //top
}
```



```
void pop(struct Node** head)
```

```
{
```

```
    if (isEmpty(*head))
```

```
        printf(" Stack is Empty");
```

```
    struct Node* temp = *head;
```

```
    *head = (*head)->next;
```

```
    int num = temp->data;
```

```
    free(temp);
```

```
    printf(" Popped element: %d", num);
```

```
}
```

